# GATE 2019 

## DIGITAL LOGIC

COMPUTER SCIENCE

ECG
Publications

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GATE-2019: Digital Logic| Detailed theory with GATE previous year papers and detailed solu ons.
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First Edi on: 2016
Price of Book: INR 250/-

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## CHAPTER - 1

NUMBER SYSTEM

### 1.1 DATA REPRESENTATION

Data can be any digit, character or any symbol. And it can be represented in following categories.

| Magnitude Representation | Complement Representation |
| :--- | :--- |
| 1. Unsigned magnitude representation | 1. $(\mathrm{r}-1$ )'s complement: (positive, negative) |
| (positive): No sign bit | 2. r's complement: (positive, negative) |
| 2. Signed magnitude representation (positive, | MSB $=0$ (positive) |
| negative): One extra bit (sign) as MSB | MSB $=1$ (negative) |

### 1.1.1 Sign Magnitude Representation

1. " + " sign before a number indicates that it is positive $(+\mathrm{ve})$ number and negative ( -ve ) sign before a number indicates that it is -ve number. Replace +ve with MSB 0 and -ve with MSB 1 followed by binary equivalent of given number to get its sign representation.
2. Range is identical as that of 1 's complement and also has 2 unique representation for zero. Its Range $=-\left(2^{n-1}-1\right)$ to $+\left(2^{\mathrm{n}-1}-1\right)$ such as for $\mathrm{n}=7$ range is $(-63)$ to $(+63)$

## Example

$$
\begin{aligned}
& (+1100101)_{2} \rightarrow(01100101)_{2} \\
& (+101.001)_{2} \rightarrow(0101.001)_{2} \\
& (-10010)_{2} \rightarrow(110010)_{2} \\
& (-110.101)_{2} \rightarrow(1110.101)_{2}
\end{aligned}
$$

### 1.1.2 Complement

There are two types of complements:

1. $(r-1)$ 's complement
2. (r)'s complement , Where,$r=$ base of complement



Hexadecimal $(\mathrm{r}=16)-\left[\begin{array}{l}\text { 15's complement } \\ \text { 16'scomplement }\end{array}\right.$

( $\mathbf{r}-\mathbf{1}$ )'s Complement: To determine this complement, subtract the given number from maximum number having number of digits equal to the number of digits in given number possible in given base.


1. When signed numbers are used in binary arithmetic, then which one of the following notations would have unique representation for zero?
(a) sign magnitude
(b) 1's complement
(c) 2's complement
(d) 9's complement
2. In the following codes a binary number $\mathrm{Y}_{1} \mathrm{Y}_{2} \mathrm{Y}_{3}$ is converted by the given circuit

(a) Excess-3 Code
(b) Gray Code
(c) Decimal Code
(d) BCD Code
3. Addition of all the gray codes to convert decimal (0-9) into gray code is:
(a) 129
(b) 108
(c) 69
(d) 53
4. Input

(a) +255
(b) +127
(b) +31
(d) Zero
5. If $(123)_{5}=(x 3)_{y}$, then the number of possible values of $x$ is
(a) 4
(b) 3
(c) 2
(d) 1
6. A computer has the following negative numbers stored in binary form as shown. The wrongly stored number is:
(a) -37 as 11011011
(b) -89 as 10100111
(c) -48 as 11101000
(d) -32 as 11100000
7. Octal equivalent of hexadecimal AFAFAF is
(a) 53276757
(b) 76727673
(c) 53727657
(d) 76727672
8. $(177)_{8}+1=(\mathrm{X})_{8}$, the value of x is
(a) 178
(b) 179
(c) 200
(d) None of these
9. Noting that $3^{2}=9$, formulate a simple procedure for converting base - 3 numbers directly to base -9 use the procedure to convert ( 2110201102220112$)_{3}$ to base 9.
(a) $(66582614)_{9}$
(b) $(2206112414)_{9}$
(c) $(73642815)_{9}$
(d) None of these
10. Identify the first 10 decimal digits in Base 4 number system
(a) $0,1,2,3,4,5,6,0,1,2$
(b) $0,1,2,3,4,5,6,7,0,1$
(c) $0,1,2,3,10,11,12,13,14$
(d) $0,1,2,3,10,11,12,13,20,21$
11. What is the 11 's complement of $(935)_{12}$ ?
(a) $124_{11}$
(b) $234_{10}$
(c) $286_{12}$
(d) $330_{10}$
12. $X$ and $Y$ are successive digits in a positional number system. Also $\mathrm{XY}=25_{10}$ and $\mathrm{YX}=31_{10}$. Determine the Radix value of the system and value of X and Y .
(a) $6,4,2$
(b) 7, 3, 4
(c) $7,4,3$
(d) $6,4,3$
13. Consider the signed Binary numbers $A=01000110$ and $B=11010011$, where $B$ is in 2's complement form. Match the following.

## List-I

A. $\mathrm{A}+\mathrm{B}$
B. $\mathrm{A}-\mathrm{B}$
C. $\mathrm{B}-\mathrm{A}$
D. $\mathrm{A}-\mathrm{B}$

List-II

Sol. 1 (c)
Sol. 2 (c)


Let us take the binary input 010
$\therefore$ It forms a gray code.

| Binary Code | Gray Code |
| :---: | :---: |
| 000 | 000 |
| 001 | 001 |
| 010 | 011 |
| 011 | 010 |
| 100 | 110 |
| 101 | 111 |
| 110 | 101 |
| 111 | 100 |

Sol. 3 (d)

| Decimal | BCD | Gray <br> Code | Decimal <br> Equivalent <br> of Gray |
| :---: | :---: | :---: | :---: |
| 0 | 0000 | 0000 | 0 |
| 1 | 0001 | 0001 | 1 |
| 2 | 0010 | 0011 | 3 |
| 3 | 0011 | 0010 | 2 |
| 4 | 0100 | 0110 | 6 |
| 5 | 0101 | 0111 | 7 |
| 6 | 0110 | 0101 | 5 |
| 7 | 0111 | 0100 | 4 |
| 8 | 1000 | 1100 | 12 |
| 9 | 1001 | 1101 | 13 |
|  |  | Total $=$ | +53 |

$\mathrm{X}_{1} \oplus \mathrm{X}_{\mathbf{2}}=$ ?

| $\mathbf{X}_{\mathbf{1}}$ | $\mathbf{X}_{\mathbf{2}}$ | $\mathbf{X}_{\mathbf{1}} \oplus \mathbf{X}_{\mathbf{2}}$ |
| :---: | :---: | :---: |
| 1 | 1 | 0 |
| 0 | 1 | 1 |
| 1 | 1 | 0 |
| 0 | 1 | 1 |
| 1 | 1 | 0 |
| 0 | 1 | 1 |
| 1 | 1 | 0 |
| 0 | 1 | 1 |

Binary number: (01010101) $)_{2}$
Binary to Gray Code: $\left(\begin{array}{lllllll}0 & 1 & 1 & 1 & 1 & 1\end{array}\right)_{2}$
Gray code to Decimal:
$=0 \times 2^{7}+1 \times 2^{6}+1 \times 2^{5}+1 \times 2^{4}+1 \times 2^{3}+1 \times$
$2^{2}+1 \times 2^{1}+1 \times 2^{0}$
$=64+32+16+8+4+2+1=+127$
Sol. 5 (c)
$(123)_{5}=(x 3)_{y}$ then
$1 \times 5^{2}+2 \times 5^{1}+3 \times 5^{0}=\mathrm{x} . \mathrm{y}^{1}+3 . \mathrm{y}^{0}$
$25+10+3=x y+3$
$35=x y$
Possible factor of 35 are:
$1 \times 35$ : when $\mathrm{y}=35, \mathrm{x}=1$ is possible.
$35 \times 1$ : when $y=1, x=35$ is not possible
$5 \times 7$ : when $y=7, x=5$ is possible.
$7 \times 5$ : when $y=5, x=7$ is not possible.
Hence $x$ has 2 possible values.
Sol. 6 (c)
$48_{10}=00110000$

|  | 11001111 <br> +1 |
| :--- | ---: |
| $-48_{10}$ | $=11010000$ |
| $37_{10}=$ | 00100101 |
| 111011010  <br>  +1 <br> $-37_{10}=$ 11011011 |  |

Sol. 4 (b)
$\mathrm{X}_{1}=10101010, \mathrm{X}_{2}=11111111$

## GATE QUESTIONS

1. Given the following binary number in 32-bit (single precision) IEEE - 754 format: 0011111001101101000000000000000
The decimal value closest to this floating point number is
[GATE - 2017]
(a) $1.45 \times 10^{1}$
(b) $1.45 \times 10^{-1}$
(c) $2.27 \times 10^{-1}$
(d) $2.27 \times 10^{1}$
2. The representation of the value of a 16 - bit unsigned integer X in hexadecimal number system is BCA9. The representation of the value of $X$ in octal number system is
[GATE - 2017]
(a) 57124
(b) 736251
(c) 571247
(d) 136251
3. Let $X$ be the number of distinct 16-bit integers in 2's complement representation. Let Y be the number of distinct 16 -bit integers in sign magnitude representation. Then $X-Y$ is $\qquad$ .
[GATE - 2016]
4. The 16 -bit 2 's complement representation of an integer is 1111111111110101 ; its decimal representation is $\qquad$
[GATE - 2016]
5. Consider the equation $(43)_{x}=(y 3)_{8}$ where $x$ and $y$ are unknown. The number of possible solutions are $\qquad$
[GATE - 2015]
6. The number of bytes required to represent the decimal number 1856357 in packed BCD (Binary Coded Decimal) from is $\qquad$ -
[GATE - 2014]
7. Which of the following is an invalid state in an 8-4-2-1 Binary coded decimal counter
[GATE - 2014]
(a) 1000
(b) 1001
(c) 0011
(d) 1100
8. Consider the equation $(123)_{5}=(x 8)_{y}$ with $x$ and $y$ as unknown. The number of possible solutions are $\qquad$ .
[GATE - 2014]
9. The base (or radix) of the number system such that the following equation $\frac{312}{20}=13.1$ holds is $\qquad$
[GATE - 2014]
10. The decimal value 0.5 in IEEE single precision floating point representation has
[GATE - 2012]
(a) Fraction bits of $000 \ldots 000$ and exponent value of 0
(b) Fraction bits of $000 \ldots 000$ and exponent value of -1
(c) Fraction bits of $100 \ldots 000$ and exponent value of 0
(d) No exact representation
11. $(1217)_{8}$ is equivalent to
[GATE - 2009]
(a) $(1217)_{16}$
(b) $(028 \mathrm{~F})_{16}$
(c) $(2297)_{10}$
(d) $(0 \mathrm{~B} 17)_{16}$
12. The two numbers represented in signed 2 's complement form are $\mathrm{P}=11101101$ and $\mathrm{Q}=11100110$. If Q is subtracted from P , the value obtained in signed 2's complement form is
[GATE - 2008]
(a) 100000111
(b) 00000111
(c) 11111001
(d) 111111001
13. In the IEEE floating point representation the hexadecimal value $0 \times 00000000$ corresponds to
[GATE - 2008]
(a) The normalized value $2^{-127}$
(b) The normalized value $2^{-126}$
(c) The normalized value +0
(d) The special value +0

## CHAPTER - 2

## LOGIC GATES \& BOOLEAN ALGEBRA

### 2.1 LOGIC GATE

1. The fundamental building block of digital system Logic gate means that $\mathrm{o} / \mathrm{p}$ and $\mathrm{i} / \mathrm{p}$ pattern of gate are assigned logically.
2. The inter connection of Gates is to perform a variety of logical operations is called logic design.
3. The input and output of logic gate can occur only in two levels. These levels are termed as high (1) and Low (0) simply.
4. Truth table show how the logic circuit $\mathrm{o} / \mathrm{p}$ responds to various combination of logic levels of i/p.
5. There are various types of gates
(i) Basic Gates: NOT, AND \& OR
(ii) Universal Gate: NAND \& NOR
(iii) EXOR \& ENOR: Arithmetic, comparator, code converter, parity generator and parity checker.

### 2.1.1 Basic Gates

1. NOT Gate
(i) It is one-input and one-output gate.
(ii) Its output is inverted to its corresponding input. If input is 1 then its output is 0 and if its input is 0 then its output is 1 .
(iii) It is called inverter.
(iv) It is represented by following symbol

(v) Its all possible input combination and its corresponding output can be represented in the form of table called Truth Table. Truth table for NOT gate is following

## Truth Table

| $\mathbf{A}$ | $\mathbf{y}$ |
| :---: | :---: |
| 0 | 1 |
| 1 | 0 |

(i)

(ii)

(vi) It act as basic memory element or cross coupled latch storage element and represented as

1. Which of the following logic expression is incorrect?
(a) $1 \oplus 0=1$
(b) $1 \oplus 1 \oplus 0=1$
(c) $1 \oplus 1 \oplus 1=1$
(d) $1 \oplus 1=0$
2. Which of the following Boolean algebra statements represent distributive law?
(a) $(\mathrm{A}+\mathrm{B})+\mathrm{C}=\mathrm{A}+(\mathrm{B}+\mathrm{C})$
(b) $\mathrm{A} \cdot(\mathrm{B}+\mathrm{C})=(\mathrm{A} . \mathrm{B})+(\mathrm{A} . \mathrm{C})$
(c) $\mathrm{A} \cdot(\mathrm{B} \cdot \mathrm{C})=(\mathrm{A} \cdot \mathrm{B}) \cdot \mathrm{C}$
(d) None of these
3. Which expression is computed by the following NAND-gate circuit diagram?

(a) $x^{\prime} y^{\prime}+z$
(b) $(x+y) z^{\prime}$
(c) $x^{\prime} y^{\prime} z$
(d) $x^{\prime}+y^{\prime}+z^{\prime}$
4. What is the equivalent Boolean expression in product of sum form for the K-map given below?
(a) $\mathrm{BD}^{\prime}+\mathrm{B}^{\prime} \mathrm{D}$
(b) $\left(\mathrm{B}+\mathrm{C}^{\prime}+\mathrm{D}\right)\left(\mathrm{B}^{\prime}+\mathrm{C}+\mathrm{D}^{\prime}\right)$
(c) $\left(\mathrm{B}+\mathrm{D}^{\prime}\right)\left(\mathrm{B}^{\prime}+\mathrm{D}\right)$
(d) $\left(\mathrm{B}^{\prime}+\mathrm{D}^{\prime}\right)(\mathrm{B}+\mathrm{D})$
5. Identify the logic function performed by the circuit.

(a) Exclusive OR
(b) Exclusive NOR
(c) NAND
(d) NOR
6. The binary number 110011 is to be converted to gray code. The number of gates and type required are:
(a) $6, \mathrm{AND}$
(b) 6, XNOR
(c) $6, \mathrm{XOR}$
(d) 5 , XOR
7. The output of the logic gate in the figure is

(a) $\mathrm{AB}+\mathrm{AC}+\mathrm{BC}$
(b) $\mathrm{A}+\mathrm{BC}$
(c) $\overline{\mathrm{A}}$
(d) $\mathrm{A}+\mathrm{B}+\mathrm{C}$
8. What is the minimum number of NAND gates required to implement $A+A \bar{B}+A \bar{B} C$
(a) 0
(b) 1
(c) 4
(d) 7
9. If $x$ and $y$ are Boolean variables, which one of the following is the equivalent of $x \oplus y \oplus x y$.
(a) $x+y^{\prime}$
(b) $x+y$
(c) 0
(d) 1
10. Consider the following gate network which of following gates is redundant?

Sol. 1 (b)
Sol. 2 (a)
Sol. 3 (d)


Hence answer is (a)
Sol. 4 (d)

| CD ${ }^{\text {AB }}$ |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| 00 | - | 1 | 1 | :0: |
| 01 | 1 | $\because 0^{\circ}$ | $\bigcirc{ }^{\circ}$ | 1 |
| 11 | 1 | :0 | 0 ! | 1 |
| 10 | (00: | 1 | 1 | :0 |

In product of sum form we take the output as 0 $(\overline{\mathrm{B}}+\overline{\mathrm{D}})(\mathrm{B}+\mathrm{D})$


Sol. 6 (d)


It converts Binary code to Gray Code.
110011 is converted to 101010
$\therefore 5-\mathrm{XOR}$ gates are required.
Sol. 7 (c)

| Ground(G) | $\mathbf{A}$ | $\mathbf{G} \rightarrow \mathbf{A}$ |
| :---: | :--- | :---: |
| 0 | 0 | 1 |
| 0 | 1 | 0 |

$\therefore$ The Output is complemented.
Sol. 8 (a)
$\mathrm{F}=\mathrm{A}+\mathrm{A} \overline{\mathrm{B}}+\mathrm{A} \overline{\mathrm{B}} \mathrm{C}=\mathrm{A}+\mathrm{A} \overline{\mathrm{B}}(1+\mathrm{C})$
$=\mathrm{A}+\mathrm{A} \overline{\mathrm{B}}=\mathrm{A}(1+\overline{\mathrm{B}})$
$\therefore$ It contains one AND gate and one OR gate, No NAND gate is required.

Sol. 9 (b)
$=\mathrm{x} \oplus \mathrm{y} \oplus \mathrm{xy}=(x \bar{y}+\bar{x} y) \oplus x y$
$=(x \bar{y}+\overline{x y}) \overline{x y}+x y[x \overline{\bar{y}+\overline{x y}}]$
$=(x \bar{y}+\bar{x} y)(\bar{x}+\bar{y})+x y[x y+\bar{x} \bar{y}]$
$=x \bar{x} \bar{y}+\bar{x} \bar{x} y+x \bar{y} \bar{y}+\bar{x} y \bar{y}+(x y \cdot x y)+x y \cdot \bar{x} \bar{y}$
$\because[\mathrm{A} \cdot \overline{\mathrm{A}}=0, \mathrm{~A} \cdot \mathrm{~A}=\mathrm{A}]$
$\therefore \bar{x} y+x \bar{y}+x y$
$=\bar{x} y+x(y+\bar{y}) \quad(\because A+\bar{A}=1)$
(a) $\mathrm{W}, \mathrm{Y}, \mathrm{XZ}, \overline{\mathrm{X}} \overline{\mathrm{Z}}$
(b) W, Y, XZ
(c) $Y, \bar{X} \bar{Y} \bar{Z}$
(d) $Y, X Z, \bar{X} \bar{Z}$
17. The Boolean expression
$(\mathrm{X}+\mathrm{Y})(\mathrm{X}+\overline{\mathrm{Y}})+(\overline{\mathrm{X}} \overline{\mathrm{Y}})+\overline{\mathrm{X}}$ simplifies to
[GATE - 2014]
(a) X
(b) Y
(c) XY
(d) $\mathrm{X}+\mathrm{Y}$
18. Which of the following logic circuits is a realization of the function $F$ whose Karnaugh map is shown in figure.
[GATE - 2014]
(a)


(d)


(c)
19. The SOP (sum of products) form of a Boolean function is $\Sigma(0,1,3,7,11)$, where input are $\mathrm{A}, \mathrm{B}, \mathrm{C}, \mathrm{D}(\mathrm{A}$ is MSB, and D is LSB$)$. The equivalent minimized expression of the function is
[GATE - 2014]
(a) $(\overline{\mathrm{B}}+\mathrm{C})(\overline{\mathrm{A}}+\mathrm{C})(\overline{\mathrm{A}}+\overline{\mathrm{B}})(\overline{\mathrm{C}}+\mathrm{D})$
(b) $(\overline{\mathrm{B}}+\mathrm{C})(\overline{\mathrm{A}}+\mathrm{C})(\overline{\mathrm{A}}+\overline{\mathrm{C}})(\overline{\mathrm{C}}+\mathrm{D})$
(c) $(\overline{\mathrm{B}}+\mathrm{C})(\overline{\mathrm{A}}+\mathrm{C})(\overline{\mathrm{A}}+\overline{\mathrm{C}})(\overline{\mathrm{C}}+\overline{\mathrm{D}})$
(d) $(\overline{\mathrm{B}}+\mathrm{C})(\mathrm{A}+\overline{\mathrm{B}})(\overline{\mathrm{A}}+\overline{\mathrm{B}})(\overline{\mathrm{C}}+\mathrm{D})$
20. Let $\oplus$ denotes the Exclusive OR (XOR) operation. Let ' 1 ' and ' 0 ' denote the binary constants. Consider the following Boolean expression for F over two variables P and Q . $\mathrm{F}(\mathrm{P}, \mathrm{Q})=((1 \oplus \mathrm{P}) \oplus(\mathrm{P} \oplus \mathrm{Q})) \oplus((\mathrm{P} \oplus \mathrm{Q}) \oplus(\mathrm{Q} \oplus 0))$ The equivalent expression for $F$ is
[GATE - 2014]
(a) $P+Q$
(b) $\overline{\mathrm{P}+\mathrm{Q}}$
(c) $\mathrm{P} \oplus \mathrm{Q}$
(d) $\overline{\mathrm{P} \oplus \mathrm{Q}}$
21. Consider the following minterms expression for $F: F(P, Q, R, S)=\sum(0,2,5,7,8,10,13,15)$ The minterms 2, 7, 8 and 13 are 'do not care' terms. The minimal sum - of - products form for $F$ is
[GATE - 2014]
(a) $\mathrm{Q} \overline{\mathrm{S}}+\overline{\mathrm{Q}} \mathrm{S}$
(b) $\bar{Q} \bar{S}+Q S$
(c) $\bar{Q} \bar{R} \bar{S}+\bar{Q} R \bar{S}+Q \bar{R} S+Q R S$
(d) $\overline{\mathrm{P}} \overline{\mathrm{Q}} \overline{\mathrm{S}}+\overline{\mathrm{P}} \mathrm{QS}+\mathrm{P} \overline{\mathrm{Q}} \overline{\mathrm{S}}$
22. The dual of a Boolean function $F\left(x_{1}\right.$, $\mathrm{x}_{2}, \ldots \mathrm{x}_{\mathrm{n}},+, \cdot{ }^{\prime}$ ), written as $\mathrm{F}^{\mathrm{D}}$, is the same expression as that of F with + and $\cdot$ swapped. F is said to be self dual if $F=F^{D}$. The number of self - dual functions with $n$ Boolean variable is
[GATE - 2014]
(a) $2^{n}$
(b) $2^{\mathrm{n}-1}$
(c) $2^{2^{n}}$
(d) $2^{2^{n-1}}$
23. Consider the following Boolean expression for F :
$\mathrm{F}(\mathrm{P}, \mathrm{Q}, \mathrm{R}, \mathrm{S})=\mathrm{PQ}+\overline{\mathrm{P}} \mathrm{QR}+\overline{\mathrm{P}} \mathrm{Q} \overline{\mathrm{R}} \mathrm{S}$
The minimal sum of products form of $F$ is
[GATE - 2014]
(a) $\mathrm{PQ}+\mathrm{QR}+\mathrm{QS}$
(b) $P+Q+R+S$
(c) $\overline{\mathrm{P}}+\overline{\mathrm{Q}}+\overline{\mathrm{R}}+\overline{\mathrm{S}}$
(d) $\overline{\mathrm{P}} \mathrm{R}+\overline{\mathrm{P}} \overline{\mathrm{R}} \mathrm{S}+\mathrm{P}$
24. Which one of the following expression does NOT represent exclusive NOR of $x$ and $y$ ?
[GATE - 2014]
(a) $x y+x^{\prime} y^{\prime}$
(b) $\mathrm{x} \oplus \mathrm{y}^{\prime}$
(c) $x^{\prime} \oplus y$
(d) $x^{\prime} \oplus y^{\prime}$
25. In the sum of products function $f(X, Y, Z)=$ $\sum(2,3,4,5)$, the prime implications are
[GATE - 2012]
(a) $\bar{X} Y, X \bar{Y}$
(b) $\bar{X} Y, X \bar{Y} \bar{Z} \cdot X \bar{Y} Z$
(c) $\bar{X} Y \bar{Z}, \bar{X} Y Z X Y$
(d) $\bar{X} Y \bar{Z}, \bar{X} Y Z, X \bar{Y} \bar{Z}, X \bar{Y} Z$

## CHAPTER - 3 <br> COMBINATIONAL LOGIC CIRCUIT

### 3.1 INTRODUCTION

For any logic Design it is always essential to design a product which meets the requirement as:
1.Minimum cost
2. Minimum space requirement
3. Maximum speed of operations
4. Easy availability of component
5. Ease of inter connection of components
6. Easy to Design

### 3.1.1 Sequential Logic

Logic circuits whose outputs are determined by the sequence in which input signals are applied.

### 3.2 COMBINATIONAL CIRCUITS

The circuits whose output depends upon the current input combinations only are called combinational circuits.


Where p is input binary variable term as external source.
And Q is output variable go to external destination.

### 3.2.1 Design Procedure

1. Statement is assigned with variable analysis.
2. The no. of input and output variable is determined
3. The logic that defined the relation between input and output are determined
4. Logic function diagram is associated

### 3.2.2 Characteristic of Combinational circuit

1. Present output depends on only the present input
2. No feedback is available/present
3. No storage (many) element is required

Example.
(i) Adder and Subtractor
(ii) Multiplexer and De-Multiplexer
(iii) Decoder and Encoder

### 3.3 ARITHMETIC COMBINATIONAL CIRCUIT

Adder and Subtractor are Arithmetic combinational circuits.

### 3.3.1 Half Adder

It adds only any two bits and gives their sum and carry.


1. The following logic circuit $f(w, x, y, z)$ indicates

(a) Binary to BCD converter
(b) BCD to Binary converter
(c) BCD to Decimal converter
(d) BCD to Excess - 3 converter
2. Identify the function of the following logic circuit

(a) 4 - bit Binary adder
(b) 4 - bit BCD Adder
(c) 4 - bit Binary subtractor
(d) $4-$ bit BCD subtractor
3. The following logic circuit adds two digits represented in the Excess - 3 code. The correction required after adding the two digits in EX-3 form is as follows.
If $\mathrm{C}_{0}=1$ and +3
Identify the inputs to be given to the $2^{\text {nd }} 4$-bit full adder?

(a) $\mathrm{C}_{0}, \mathrm{C}_{0}, 0, \mathrm{C}_{0}$
(b) $0,0, \mathrm{C}_{0}, \mathrm{C}_{0}$
(c) $0,0, \mathrm{C}_{0}, \mathrm{C}_{0}$
(d) $\overline{\mathrm{C}}_{0}, \overline{\mathrm{C}}_{0}, \overline{\mathrm{C}}_{0}, 1$
4. A Boolean function F with $\mathrm{A}, \mathrm{B}, \mathrm{C}$ as inputs is expressed on Karnaugh map as shown below. If this function is implemented with $4: 1$ multiplexer as B, C selection lines, identify the input connections

(a) $\mathrm{A}, \mathrm{A}, \overline{\mathrm{A}}, 1$
(b) A, A, 1, $\overline{\mathrm{A}}$
(c) $\mathrm{A}, 1, \overline{\mathrm{~A}}, 0$
(d) A, A, $\overline{\mathrm{A}}, \mathrm{A}$
5. The output of the $4 \times 1$ multiplexer shown in figure is

(a) $\mathrm{X}+\mathrm{Y}$
(b) $\bar{X} \bar{Y}+X$
(c) $X \bar{Y}$
(d) $\bar{X}+\bar{Y}$
6. Identify the output of the following logic circuit

## SOLUTIONS

Sol. 1 (d)
From truth table of BCD to excess -3 code
$\mathrm{z}=\overline{\mathrm{D}}$
$y=\sum \mathrm{m}(0,3,4,7,8)$
$\mathrm{x}=\sum \mathrm{m}(1,2,3,4,9)$
$\mathrm{w}=\sum \mathrm{m}(5,6,7,8,9)$

## Sol. 2 (c)

It is $4-$ bit binary subtractor

## Sol. 3 (d)

If $\mathrm{C}_{0}=1$ and 3 means $\mathrm{i} / \mathrm{p}$ to $2^{\text {nd }} 4-$ bit full adder should be $0011 \Rightarrow \overline{\mathrm{C}}_{0} \overline{\mathrm{C}}_{0} \mathrm{C}_{0} 1$
If $\mathrm{C}_{0}=0$ subtract 3 means $\mathrm{i} / \mathrm{p}$ to $2^{\text {nd }} 4-$ bit full adder should be $1101 \Rightarrow \overline{\mathrm{C}}_{0} \overline{\mathrm{C}}_{0} \mathrm{C}_{0} 1$ So $\mathrm{i} / \mathrm{p}$ to $2^{\text {nd }}$ adder should be $\overline{\mathrm{C}}_{0} \overline{\mathrm{C}}_{0} \mathrm{C}_{0} 1$.

## Sol. 4 (d)

From K - map
BC
A $\overline{\mathrm{B}} \overline{\mathrm{C}} \overline{\mathrm{B}} \mathrm{C} \mathrm{BC} \mathrm{B} \overline{\mathrm{C}}$

| A | 0 | 0 | 1 |
| :--- | :--- | :--- | :--- |
| A | 0 |  |  |
| 1 | 1 | 0 | 1 |

When $\mathrm{BC}=00, \mathrm{o} / \mathrm{p}$ is equal to A , so $\mathrm{I}_{0}=\mathrm{A}$
When $B C=01, o / p$ is equal to $A$, so $I_{1}=A$
When $\mathrm{BC}=10, \mathrm{o} / \mathrm{p}$ is equal to A , so $\mathrm{I}_{2}=\mathrm{A}$
Sol. 5 (a)
$Z=Y+\bar{Y} X$
$=(\mathrm{Y}+\overline{\mathrm{Y}})(\mathrm{X}+\mathrm{Y})=\mathrm{X}+\mathrm{Y}$
Sol. 6 (a)
$\mathrm{F}=\overline{\mathrm{X}}_{1} \bar{X}_{2}+\mathrm{X}_{1} \mathrm{X}_{2}=\mathrm{X}_{1} \odot \mathrm{X}_{2}$

## Sol. 7 (d)

For full adder Sum $=\mathrm{A} \oplus \mathrm{B} \oplus \mathrm{C}$ and Carry $=A B+C(A \oplus B)$
So it requires 22 input X-OR, 2 input AND
1,2 2 input OR gates.

## Sol. 8 (c)

For Sum $=20+20=40 \mathrm{~ns}$
For Carry $=20+10+10=40 \mathrm{~ns}$
Sol. 9 (b)
$X=[(A \oplus B) C]+[(A B) \oplus C]$
$=(\mathrm{A} \overline{\mathrm{B}}+\overline{\mathrm{A} B}) \mathrm{C}+\mathrm{AB} \overline{\mathrm{C}}+\overline{\mathrm{AB}} \mathrm{C}$
$=A \bar{B} C+\bar{A} B C+A B \bar{C}+\bar{A} C+\bar{B} C$
Sol. 10 (c)
$X=\bar{A} C+\bar{B} C+B \bar{C}$
So there are 5 literal $\overline{\mathrm{A}}, \overline{\mathrm{B}}, \mathrm{C}, \mathrm{B}$ and $\overline{\mathrm{C}}$
Sol. 11 (c)
$\mathrm{O} / \mathrm{P}$ of AND gate is $(\mathrm{x} y)(\mathrm{x} \overline{\mathrm{y}})=0$
$\mathrm{F}=\mathrm{D}_{0}+\mathrm{D}_{1}=\overline{\mathrm{O}} \overline{\mathrm{A}}_{0}+\overline{\mathrm{O}} \mathrm{A}_{0}=\overline{\mathrm{O}}=1$
Sol. 12 (c)
Output of first MUX $=\bar{b} \bar{a}+a b=a \odot b$
$\mathrm{Z}_{1}=\overline{\mathrm{c}} \overline{(\mathrm{a} \odot \mathrm{b})}+(\mathrm{a} \odot \mathrm{b}) \mathrm{c}$
$=\mathrm{a} \odot \mathrm{b} \odot \mathrm{c}$
$\mathrm{Z}_{2}=\overline{(\mathrm{a} \odot \mathrm{b})} \mathrm{b}+(\mathrm{a} \odot \mathrm{b}) \mathrm{c}$
$=(\mathrm{ab}+\overline{\mathrm{ab}}) \mathrm{b}+(\mathrm{ab}+\overline{\mathrm{a}}) \mathrm{c}$
$=\bar{a} b+a b c+\overline{a b c}$
$=\overline{\mathrm{a}}+\mathrm{bc}+\overline{\mathrm{a}} \mathrm{c}$
Sol. 13 (b)
$\mathrm{Y}=\overline{\mathrm{A}} 0+\mathrm{AB}=\mathrm{AB}$
Sol. 14 (d)
To construct a $5 \times 32$ line decoder 11 1-to- 4 decoders are used.

Sol. 15 (a)
For $\mathrm{C}_{5}$ generation, 4 carry generation path will come into path.

Sol. 16 (c)
Total delay $=31 \times 12+42=414 \mathrm{~ns}$
Sol. 17 (c)

## 

1. When two 8-bit numbers $\mathrm{A}_{7} \ldots . . \mathrm{A}_{0}$ and $\mathrm{B}_{7}$ $\ldots . \mathrm{B}_{0}$ in 2's complement representation (with $\mathrm{A}_{0}$ and $\mathrm{B}_{0}$ as the least significant bits) are added using a ripple - carry adder, the sum bits obtained are $S_{7} \ldots . S_{0}$ and the carry bits are $\mathrm{C}_{7} \ldots \ldots . \mathrm{C}_{0}$. an overflow is said to have occurred if
[GATE - 2017]
(a) The carry bit $\mathrm{C}_{7}$ is 1
(b) All the carry bits ( $\mathrm{C}_{7}$ $\mathrm{C}_{0}$ ) are 1
(c) $\left(\mathrm{A}_{7} \cdot \mathrm{~B}_{7} \cdot \overline{\mathrm{~S}}_{7}+\overline{\mathrm{A}}_{7} \cdot-\overline{\mathrm{B}}_{7} \cdot \mathrm{~S}_{7}\right)$ is 1
(d) $\left(\mathrm{A}_{0} \cdot \mathrm{~B}_{0} \cdot \overline{\mathrm{~S}}_{0}+\overline{\mathrm{A}}_{0} \cdot-\overline{\mathrm{B}}_{0} \cdot \mathrm{~S}_{0}\right)$ is 1
2. Consider a carry look ahead adder for adding two n-bit integers, built using gates of fan-in at most two. The time to perform addition using this adder is
[GATE - 2016]
(a) $\Theta(1)$
(b) $\Theta(\log (\mathrm{n}))$
(c) $\Theta(n)$
(d) $\Theta(n)$
3. Consider the two cascaded 2-to-1 multiplexers as shown in the figure.


The minimal sum of products form of the output X is
[GATE - 2016]
(a) $P Q+P^{\prime} Q^{\prime} R$
(b) $P Q+Q R$
(c) $P Q^{\prime}+P^{\prime} Q R$
(d) $Q^{\prime} R^{\prime}+P Q R$
4. In the $4 \times 1$ multiplexer, the output F is given by $\mathrm{F}=\mathrm{A} \oplus \mathrm{B}$. Find the required input ${ }^{\prime} \mathrm{I}_{3} \mathrm{I}_{2} \mathrm{I}_{1} \mathrm{I}_{0}$.
[GATE - 2015]

(a) 1010
(b) 0110
(c) 1000
(d) 1110
5. In the figure shown, the output Y is required to be $\mathrm{Y}=\mathrm{AB}+\overline{\mathrm{C}} \overline{\mathrm{D}}$. The gates G1 and G2 must be, respectively
[GATE - 2015]

(a) NOR, OR
(b) OR, NAND
(c) NAND, OR
(d) AND, NAND
6. A half adder is implemented with XOR and AND gates. A full adder is implemented with two half adders and one OR gate. The propagation delay of an XOR gate is twice that of an AND/OR gate. The propagation delay of an AND/OR gate is 1.2 microseconds. A 4-bit ripple-carry binary adder is implemented by using full adders. The total propagation time of this 4-bit binary adder in microseconds is
$\qquad$ -.
[GATE - 2015]
7. The number of min-terms after minimizing the following Boolean expression is $\qquad$ $\left[D^{\prime}+A B^{\prime}+A^{\prime} C+A C^{\prime} D+A^{\prime} C^{\prime} D\right]^{\prime}$
[GATE - 2015]

## CHAPTER - 4

SEQUENTIAL LOGIC CIRCUIT

### 4.1 INTRODUCTION

1. In combinational circuit the present $\mathrm{O} / \mathrm{P}$ depends only upon the present input any prior level. (Input condition) does not have any effect on present output.
2. In sequential circuits, Present output depends upon the present input combinations as well as previous outputs of the system. Therefore, sequential circuits have feedback property.

### 4.2 1-BIT MEMORY CELL

1. The following circuits are designed to store 1-bit data. They use feedback property hence they are sequential circuits that are the simplest.2. Information stored in memory element at any given time define the present state of sequential circuit.


## Block Diagram



### 4.3 LATCHES

1. It refers to unclocked flip flop because these flip flop latch on to a " 1 " or a " 0 " Imperially upon running the input called "SET" and "RESET".
2. They are not dependent upon the clock signal for their operation.
3. A latch is a sequential device that checks all its inputs continuously and changes its output accordingly at any time independent of clock signals.


### 4.3.1 S-R Latch using NOR Gate

The Set - Reset Latch can be designed using NOR Gates as following


1. A counter constructed using $\mathrm{T}-\mathrm{FFs}$ counts the decimal digits according to $2,4,2,1$ code. The input $\mathrm{T}_{\mathrm{B}}$ is
(a) $\mathrm{A}^{\prime} \mathrm{B}+\mathrm{CD}$
(b) $\mathrm{A}^{\prime} \mathrm{B}+\mathrm{BCD}$
(c) $\mathrm{A}^{\prime} \mathrm{B}+\mathrm{D}$
(d) $\mathrm{A}^{\prime} \mathrm{B}+\mathrm{A}^{\prime} \mathrm{D}$
2. A sequential circuit is as shown below. If present states of $\mathrm{A}_{1}, \mathrm{~A}_{2}$, are 1,0 and $\mathrm{x}=1$, what is its next state and output

3. In a 4 bit modulo -6 ripple counter the proportional delay of J-K Flip flop is 50 ns . What is the max clock frequency that can used without skipping a count?
(a) 2 MHz
(b) 4 MHz
(c) 5 KHz
(d) 5 MHz
4. In the following logic circuit, the 8 bit left shift register and D - Flip flop is synchronized with same clock. The D - Flip flop is initially cleared. The circuit acts as

(a) Binary to 2 's complement converter
(b) Binary to EX - 3 code converter
(c) Binary to 1's complement converter
(d) Binary to Gray code converter
5. A N - bit register is constructed using $\mathrm{D}-$ flip - flops. Match the following List-I with List-II

## List-I

A. Parallel in parallel out
B. Serial in serial out
C. Parallel in serial out
D. Serial in parallel out

## List-II

(i) $(2 \mathrm{~N}-1)$ clock pulses
(ii) One clock pulses
(iii) N clock pulses
(iv) $(\mathrm{N}-1)$ clock pulses

## Codes:

(a) A-iii, B-iv, C-ii, D-i
(b) A-iv, B-ii, C-i, D-iii
(c) A-iii, B-ii, C-iv, D-i
(d) A-ii, B-i, C-iv, D-iii
6. Determine the output of the negative Edge triggered J-K flip flop for the following input waveforms at $T_{1}, T_{2}, T_{3}, T_{4}$. Assume the hold time FF is 0 .

(a) $0,1,0,1$
(b) $0,1,1,0$
(c) $1,0,0,1$
(d) $1,0,1,1$
7. Two J - K FFS having negative edge triggering are connected as shown in figure. Which of the following conditions have to be satisfied for proper functioning of the circuit .

Sol. 1 (a)

| Decimal | $\begin{array}{r} \text { Prest } \\ \text { Stal } \\ \mathrm{Q}_{\mathrm{A}} \mathrm{Q}_{\mathrm{B}} \mathrm{Q} \end{array}$ | nt te ${ }_{c} \mathbf{Q}_{\mathrm{D}}$ |  | $\begin{aligned} & \mathbf{x t} \mathbf{S t} \\ & { }_{A}^{+} \mathrm{Q}_{\mathrm{B}}^{+} \mathrm{Q} \end{aligned}$ |  |  | $\mathrm{T}_{\mathrm{A}} \mathrm{T}$ | $\mathrm{B} \mathrm{T}_{\mathrm{C}}$ | ${ }_{C} \mathrm{~T}_{\text {D }}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 000 | 0 | 0 | 0 | 1 |  |  | 00 | 1 |
| 1 | 000 | 1 | 0 | 01 | 0 |  | 0 | 01 |  |
| 2 | 0001 | 0 | 0 | 01 | 1 |  |  | 00 | 1 |
| 3 | 0001 | 1 | 0 | 10 | 0 |  |  | 11 | 1 |
| 4 | 0110 | 0 | 1 | 01 | 1 |  |  | 11 | 1 |
| 5 | 1001 | 1 | 1 | 10 | 0 |  | 0 | 10 | 1 |
| 6 | 110 | 0 | 1 | 10 | 1 |  |  | 00 | 1 |
| 7 | 110 | 1 | 1 | 11 | 1 |  | 0 | 01 | 1 |
| 8 | 111 | 0 | 1 | 11 | 0 |  |  | 00 | 1 |
| 9 | 111 | 1 | 1 | 11 | 1 |  |  | 11 | 1 |
|  |  |  |  |  |  |  |  |  |  |
|  |  |  |  |  |  |  |  |  |  |
|  | 01 | $1$ | $\times$ | $\times$ |  |  |  |  |  |
|  | 11 | 0 | 0 | - 1 |  |  |  |  |  |
|  | 10 | $\times$ | $\times$ | 1 1 |  |  |  |  |  |

Sol. 2 (c)
Input to $A_{1} D F / F=0$
Input to $A_{2} D F / F=1$
so after clock $\mathrm{o} / \mathrm{p}$ of $\mathrm{A}_{1}$ and $\mathrm{A}_{2}$ will be 0,1 respectively so $\mathrm{y}=1$.

## Sol. 3 (d)

Total propagation delay $=4 \times 50 \mathrm{~ns}$ maximum frequency used
$=\frac{1}{200 \times 10^{-9}}=5 \times 10^{6} \mathrm{~Hz}$

## Sol. 4 (d)

Circuit act as binary to gray code convertor

## Sol. 5 (d)

Parallel In Parallel out - one clock pulse
Serial in Serial out $-(2 N-1)$ clock pulses

Parallel in serial out $-(\mathrm{N}-1)$ clock pulses
Serial in parallel out -N clock pulses
Sol. 6 (b)
For $\mathrm{T}_{1}, \mathrm{~J}=1$ and $\mathrm{K}=0$, so $\mathrm{Q}=1$
For $\mathrm{T}_{2}, \mathrm{~J}=1$ and $\mathrm{K}=0$, so $\mathrm{Q}=0$
For $T_{3}, J=0$ and $K=1$, so $Q=0$
For $\mathrm{T}_{4}, \mathrm{~J}=1$ and $\mathrm{K}=1$, so $\mathrm{Q}=1$
Sol. 7 (c)
For proper functioning $t_{h}<t_{\text {PLH }}$, so that $2^{\text {nd }} F F$ can latch proper data.

Sol. 8 (d)
$\mathrm{X}=\mathrm{Q}$ clock and $\mathrm{Y}=\overline{\mathrm{Q}}$ clock
So waveforms are as follows


Sol. 9 (c)
Using 3 FF counter can count $2^{3}=8$ states Therefore, mod - 6 counter will slip 2 counts if it is made of 3 FF .

## Sol. 10 (d)

When $\mathrm{X}=\overline{\mathrm{B}}$ and $\mathrm{Y}=\overline{\mathrm{C}}$, the outputs are cleared at the sequence $\mathrm{CBA}=110$. For all other states, the counter works in normal operation.

Sol. 11 (a)
For m FF total no. of outcomes (outputs) will be 2 m and total number of inputs $=\mathrm{n}$ (given). Hence in state table total columns will be total $\mathrm{o} / \mathrm{p}$ 's + total no. of $\mathrm{i} / \mathrm{p}$ 's $=2 \mathrm{~m}+\mathrm{n}$

Sol. 12 (d)


1. Consider a combination of T and D flip flops connected as shown below. The output of the D flip - flop is connected to the input of the T flip - flop and the output of the T flip - flop is connected to the input of the D flip - flop.


Initially, both $\mathrm{Q}_{0}$ and $\mathrm{Q}_{1}$ are set to 1 (before the $1^{\text {st }}$ clock cycle). The outputs
[GATE - 2017]
(a) $\mathrm{Q}_{1} \mathrm{Q}_{0}$ after the $3^{\text {rd }}$ cycle are 11 and after the $4^{\text {th }}$ cycle are 00 respectively
(b) $\mathrm{Q}_{1} \mathrm{Q}_{0}$ after the $3^{\text {rd }}$ cycle are 11 and after the $4^{\text {th }}$ cycle are 00 respectively
(c) $\mathrm{Q}_{1} \mathrm{Q}_{0}$ after the $3^{\text {rd }}$ cycle are 00 and after the $4^{\text {th }}$ cycle are 11 respectively
(d) $Q_{1} Q_{0}$ after the $3^{\text {rd }}$ cycle are 01 and after the $4^{\text {th }}$ cycle are 01 respectively
2. The next state table of a 2-bit saturating up counter is given below.

| $\mathrm{Q}_{1}$ | $\mathrm{Q}_{0}$ | $\mathrm{Q}_{1}{ }^{+}$ | $\mathrm{Q}_{0}{ }^{+}$ |
| :--- | :--- | :--- | :--- |
| 0 | 0 | 0 | 1 |
| 0 | 1 | 1 | 0 |
| 1 | 0 | 1 | 1 |
| 1 | 1 | 1 | 1 |

The counter is built as a synchronous sequential circuit using T flip - flops. The expression for $\mathrm{T}_{1}$ and $\mathrm{T}_{0}$ are
[GATE - 2017]
(a) $\mathrm{T}_{1}=\mathrm{Q}_{1} \mathrm{Q}_{0}, \mathrm{~T}_{0}=\overline{\mathrm{Q}_{1}} \overline{\mathrm{Q}_{0}}$
(b) $\mathrm{T}_{1}=\overline{\mathrm{Q}_{1}} \mathrm{Q}_{0}, \mathrm{~T}_{0}=\overline{\mathrm{Q}_{1}}+\overline{\mathrm{Q}_{0}}$
(c) $\mathrm{T}_{1}=\mathrm{Q}_{1}+\mathrm{Q}_{0}, \mathrm{~T}_{0}=\overline{\mathrm{Q}_{1}}+\overline{\mathrm{Q}_{0}}$
(d) $\mathrm{T}_{1}=\overline{\mathrm{Q}_{1}} \mathrm{Q}_{0}, \mathrm{~T}_{0}=\mathrm{Q}_{1}+\mathrm{Q}_{0}$
3. We want to design a synchronous counter that counts the sequence $0-1-0-2-0-3$ and then
repeats. The minimum number of J-K flip-flops required to implement this counter is $\qquad$ .
[GATE - 2016]
4. Consider an eight-bit ripple-carry adder for computing the sum of A and B , where A and B are integers represented in $2^{\prime} \mathrm{s}$ complement form. If the decimal value of A is one, the decimal value of $B$ that leads to the longest latency for the sum to stabilize is $\qquad$ -.
[GATE - 2016]
5. The figure shows a digital circuit constructed using negative edge triggered $\mathrm{J}-\mathrm{K}$ flip flops. Assume a starting state of $\mathrm{Q}_{2} \mathrm{Q}_{1} \mathrm{Q}_{0}=000$. This state $\mathrm{Q}_{2} \mathrm{Q}_{1} \mathrm{Q}_{0}=000$ will repeat after $\qquad$ number of cycles'.

[GATE - 2015]
6. In the following sequential circuit, the initial state (before the first clock pulse) of the circuit is $\mathrm{Q}_{1} \mathrm{Q}_{0}=00$. The state $\left(\mathrm{Q}_{1} \mathrm{Q}_{0}\right)$, immediately after the $3^{\text {rd }}$ clock pulse is

(a) 00
(b) 01
(c) 10
(d) 11
7. The figure shows a binary counter with synchronous clear input. With the decoding logic shown, the counter works as a

